

The Effect of Muscle Activation on Neck Response

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Prevention of neck injuries due to complex loading, such as occurs in traffic accidents, requires knowledge of neck injury mechanisms and tolerances. The influence of muscle activation on outcome of the injuries is not clearly understood. Numerical simulations of neck injury accidents can contribute to increase the understanding of injury tolerances. The finite element (FE) method is suitable because it gives data on stress and strain of individual tissues that can be used to predict injuries based on tissue level criteria.

The aim of this study was to improve and validate an anatomically detailed FE model of the human cervical spine by implement neck musculature with passive and active material properties. Further, the effect of activation time and force on the stresses and strains in the cervical tissues were studied for dynamic loading due to frontal and lateral impacts.

The FE model used includes the seven cervical vertebrae, the spinal ligaments, the facet joints with cartilage, the intervertebral disc, the skull base connected to a rigid head, and a spring element representation of the neck musculature. The passive muscle properties were defined with bilinear force-deformation curves and the active properties were defined using a material model based on the Hill equation. The FE model's responses were compared to volunteer experiments for frontal and lateral impacts of 15 and 7 g. Then, the active muscle properties were varied to study their effect on the motion of the skull, the stress level of the cortical and trabecular bone, and the strain of the ligaments.

The FE model had a good correlation to the experimental motion corridors when the muscles activation was implemented. For the frontal impact a suitable peak muscle force was 40 N/cm² whereas 20 N/cm² was appropriate for the side impact. The stress levels in the cortical and trabecular bone were influenced by the point forces introduced by the muscle spring elements; therefore a more detailed model of muscle insertion would be preferable. The deformation of each spinal ligament was normalized with an appropriate failure deformation to predict soft tissue injury. For the frontal impact, the muscle activation turned out to mainly protect the upper cervical spine ligaments, while the musculature shielded all the ligaments disregarding spinal level for lateral impacts. It is concluded that the neck musculature does not have the same protective properties during different impacts loadings.

The neck is vulnerable to injury especially in traffic, sport, and fall accidents. A statistical survey of hospital data revealed that neck injuries from transportation accidents are dominated by the younger population while the elderly population is involved in most fall accident related neck injuries (Brolin & von Holst, 2002; Brolin, 2003). It is important to focus on preventive efforts both in the transportation and fall accident areas. Unfortunately, the lack of neck injury criteria for soft tissue injuries as well as for vertebral fractures slows the progress of neck injury prevention. It is possible to increase the understanding of the cervical spine complex, define injury criteria, and answer some of the questions using numerical analyses. The finite element (FE) method enables simulations of neck kinematics during im-

pect with simultaneous information on the stress levels in the individual cervical tissues. This information can be compared to failure data for the specific tissues and used to predict injuries. It is possible to evaluate how the direction of impact and the boundary conditions influence the outcome of an accident. Another important factor is believed to be the neck muscle response. How and if the neck muscles are activated may change the injury mechanism or severity. There are a few numerical models that have implemented the neck muscles. Models by de Jager et al. (1994), Yang et al. (1998), and Jost and Nurick (2000) have implemented the passive properties of the muscles in their models. De Jager et al. (1996) then improved their model to include the active properties and compared it with volunteer sled data for frontal and lateral impacts. They modeled the soft tissues and rigid vertebrae. The muscles were simplified with spring elements that could not follow the neck curvature, which will lead to inaccurate lines of action for large neck motions. This was later improved by van der Horst (2002), who enabled

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the muscle to curve around the vertebrae by including sliding points attached to intermediate vertebrae. Van Ee et al. (2000) developed a lumped parameter model including active and passive muscles to study tensile loading.

A detailed FE model of the cervical spine with passive muscle properties, called the KTH model, has been developed by Brolin (2002) and Halldin (2001). The KTH model was first validated at the spinal segment level, then for the complete ligamentous cervical spine, and lastly, validations were performed for the cervical spine with passive muscle properties implemented. The performed validations are:

- Compression, shear, and torsion of a motion segment in the lower cervical spine were compared to experiments by Liu et al. (1980) and Halldin (1998), presented by Halldin et al. (2000). The load-deflection responses showed good correlation and injury prediction of disc herniation was realistic.
- Flexion, extension, lateral bending, axial rotation, and tension in the upper cervical spine compared well to cadaver data by Panjabi et al. (1991a, b), Goel et al. (1990) and Van Ee et al. (2000). This study, presented by Brolin and Halldin (2003), concluded that the material properties of the ligaments are more important for the validation of joint motions than the material properties of the hard tissues. Only nondestructive loading was used and the KTH model did not predict failure based on tissues deformations and stresses.
- Compression, flexion, lateral bending, and oblique impacts of the complete ligamentous cervical spine were compared to experimental data by Nightingale et al. (1996, 1997) and Ewing et al. (1976a, b), presented by Halldin et al. (2000), Halldin (2001), and Brolin (2002). Buckling of the spine and motion for compression showed very good correlation and the boundary forces compared well with the experimental data, Halldin et al. (2000). Neck motion and accelerations were compared for the flexion, lateral and oblique impacts with good correlation in Halldin (2001) and Brolin (2002). Injury prediction based on tissue level criteria for vertebral stress data correlated with epidemiological studies of accidents with compression loading and the cadaver experiments by Nightingale et al. (1996, 1997) and Halldin et al. (2000). The simulation of Ewing's volunteer experiments (1976a, b) did not predict vertebral injuries based on tissue level criteria, as expected.
- Frontal, lateral, and oblique impacts of the complete FE model with passive muscle properties were compared to volunteer experiments by Ewing et al. (1976a, b). Data for load-deflection and accelerations of the skull relative to the torso were presented by Leijonhufvud (2001) and shows good correlation but differs at a later stage during the impact due to the lack of the KTH model to simulate the activation of the volunteer's neck musculature in response to the impact.

Van Ee et al. (2000) showed that the tensile injury tolerance of the cervical spine increased with muscle activation and that the injury location moved from the lower to the upper cervical spine. To the best of our knowledge, there are no published

results of how the neck muscle activation influences the spinal injury tolerances based on tissue level criteria.

Therefore, it is the aim of this study to improve and validate an FE model of the cervical spine (the KTH model) with neck muscles that can curve around the vertebrae and implements active muscle properties. Further, the effect of the timing of the activation and the activation force on the stresses and strains in the cervical tissues will be studied for dynamic loading in frontal and lateral impacts.

METHOD

In this study, the KTH FE model of the human cervical spine was used, Figure 1. The KTH model has been developed by the authors Brolin (2002) and Halldin (2001). The FE software used was LS-DYNA, Hallquist (1998). Shortly, the KTH model includes the seven cervical vertebrae (C1-C7), the skull base, a rigid head developed by Kleiven (2002), the intervertebral discs, the facet joints with cartilage, the cervical ligaments, and the neck musculature. The first thoracic vertebra (T1) is represented by a cube, place inferior of C7. The vertebral geometry is based on computer tomography scans of a 27-year-old man and scaled to represent a 50th percentile man. Data regarding size and insertion points for the ligaments, the disc, and the neck musculature are taken from the literature, as described by Brolin and Halldin (2003), Brolin (2002), Halldin et al. (2000), Halldin (2001), and Leijonhufvud (2001). The nodes of the muscle elements were chosen according to anatomy literature by Goel et al. (1986) and Kapandji (1974). All the vertebral joints with articulate surfaces are modeled with sliding only contact definitions. Table I gives an overview of the element types and material models implemented for the different cervical tissues.

The following muscles were modeled: the sternocleidomastoid (SCM), the longus cervicis, the rectus capitis anterior major (RAMa), the rectus capitis anterior minor (RAMi), the scalenus anterior, the scalene medius and the scalene posterior (Scalene), the rectus capitis posterior major, the rectus capitis posterior minor, the inferior oblique, and the superior oblique (Suboccipital), the semispinalis muscles, the longissimus capitis, the splenius capitis and splenius cervicis (Splenius), the levator scapulae, the trapezius, the interspinous muscles, the sternothyroid and thyrohyoid (Hyoid superior), and the omohyoid and strenohyoid (Hyoid inferior).

Each muscle was modeled with a number of parallel spring elements, Table II. Thereby, the muscle force is directed in a

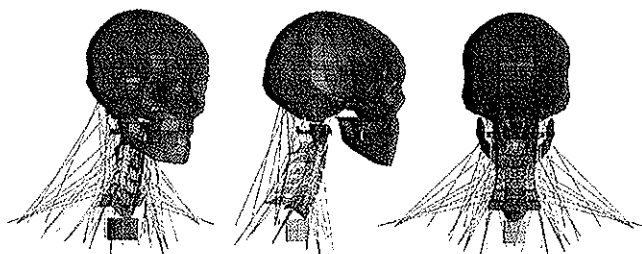


Figure 1 Three views of the human neck FE model with a rigid head and the developed neck muscles. The inferior cube represents the thorax.

Table I Material and element types implemented in the human neck FE model

Cervical tissue	Element type	Material type	Stiffness	Model	
				I	II
Cortical bone	4-node shell	Linear visco-elastic Rigid body	15 GPa	C1,3,5 C0,2,4,6,7	C2,4,6 C0,1,3,5,7
Trabecular bone	8-node solid	Linear visco-elastic Rigid body	0.5 GPa	C1,3,5 C0,2,4,6,7	C2,4,6 C0,1,3,5,7
Spinal ligaments	2-node spring	Non-linear tension-only	Brolin and Halldin (2003)		
Transverse ligament	4-node membrane	Linear elastic	135/6 MPa*		
Intervertebral disc:					
AF	4-node membrane	Linear elastic, anisotropic	30/6 MPa*		
AM	8-node solid	Linear visco-elastic	3 MPa		
NP	8-node solid	Linear elastic, incompressible	1 MPa		
Cartilage	8-node solid	Linear elastic	10 MPa		
Neck musculature	2-node spring	Passive properties with damping Active properties: Hill muscle model		Table 2 Table 2	

The two models I and II have different combinations of rigid and elastic elements for the bony tissues. C0: the skull base, C1-7: first to seventh cervical vertebrae. *Stiffness in lateral/perpendicular direction. For references please see Brolin and Halldin (2003) and Halldin et al. (2000). AF: Annulus fibrosis, AM: Annulus matrix material, NP: Nucleus pulposus.

straight line between the origin and insertion of the muscle. To account for the neck curvature the superficial neck muscles that elongate over the complete cervical spine were divided into four spring elements in series, Table II. The nodes connecting two serial spring elements were constrained to the closest rigid vertebra to force the muscle elements to follow the curvature of the vertebrae. Therefore, half of the vertebrae had to be defined as rigid and the two models I and II were developed according to Table I. To simulate both active and passive material properties of the musculature, two parallel spring elements were used where one was assigned passive and the other active muscle properties. The passive properties of the muscle groups were governed by bilinear curves. The bilinear properties were taken from an approximation of the stress-strain curve of structural failure muscle tests of rabbits performed by Myers et al. (1995). This was done using the physiologic cross section area (PCSA) and the meridian length of the modeled muscles which were retrieved from a report by Van Ee et al. (2000) for all muscle groups except four where values were estimated from anatom-

ical sketches by Kapandji (1974), Table II. The active part of the muscle force was modeled with Hill-elements by defining the optimal muscle length (L_{opt}) for each muscle, the peak force (F_{max}) generated by the muscle, and a curve defining the level of activation as a function of time. The optimal length was calculated from the average rest length (initial upright position of the model) of the spring elements representing each individual muscle group. This is a minor simplification as all muscles in the cervical spine have reported optimal length close to the rest length, van der Horst (2002). The peak force was calculated from the PCSA and a peak muscle stress of 50 N/cm². This value for the peak muscle stress was adopted from Winters and Stark (1988). Table II lists the values used to define the active properties for each group of muscles. At the time of activation (T_{act}) the activation force increases piecewise-linearly from zero to F_{max} at full activation 100 ms later according to Figure 2A. T_{act} is defined as the sum of the time from the start of the impact to the time when a sensory threshold is exceeded plus the neural reflex time. It is assumed that muscle activation is triggered

Table II The Physiologic Cross Section Area (PCSA) [Van Ee] and the active properties defined for each muscle

	No of springs	Parallel springs	Scale	PCSA (cm ²)	L_{opt} (mm)	σ_{max} (N/cm ²)	F_{max} (N)
SCOM	24	4	3	4.92	51	50	82
Longus Cervicis	19	1	4	1.37	60	50	17
RAMa*	8	1	4	1.68	85	50	21
RAMi*	4	1	1	0.92	30	50	46
Scalene	24	1	12	4.29	120	50	18
Suboccipital*	8	1	1	1.00	30	50	50
Semispinalis	40	4	8	8.58	27	50	54
Longissimus	62	4	10	2.47	35	50	12
Splenius	40	4	10	4.52	80	50	23
Levator scapulae	32	4	4	3.12	41	50	39
Trapezius	66	4	9	13.73	41	50	76
Interspinous*	5	1	1	1.00	14	50	50
Hyoid superior	3	1	1	1.02	30	50	51
Hyoid inferior	2	1	12	1.33	120	50	67

*Estimated values of PCSA from anatomy literature, Kapandji (1971).

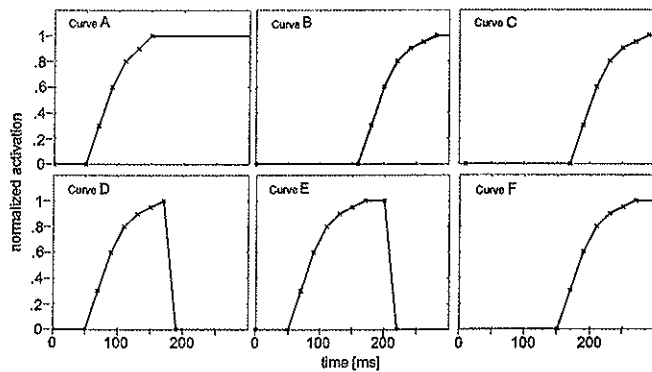


Figure 2 Curves used to define the active muscle properties as a function of time, during simulation of the frontal and lateral impacts.

by motion of the lower cervical spine, as suggested by Szabo and Welcher (1996), hence T_{act} is couple to the T1 acceleration. Muscle activation is described by neural excitation and active state dynamics, this has been simplified by describing the muscle force as increasing piecewise linearly with time after T_{act} . A full activation after 100 ms is assumed, which is based on a report by Winters and Stark (1985).

The complete FE models with active muscle properties were compared to sled tests performed on human volunteers at the Naval Biodynamics Laboratory by Ewing et al. (1976a, b). The subjects were seated in an upright position on a rigid seat and exposed to short duration acceleration pulses in two different directions, simulating frontal and side impacts. The subjects were restrained with shoulder, lap, and chest belts. For the frontal impact, the maximum acceleration was 15 g and the impact velocity was 16.7 m/s (60 km/h). The side impact had a maximum acceleration of 7 g and an impact velocity of 6.94 m/s (25 km/h). In these tests the three-dimensional motions of the head and the first thoracic vertebra (T1) were recorded using accelerometers and photographic targets. Five subjects were participating in nine tests for the frontal impacts while nine subjects participated in nine tests for the lateral impacts. All subjects were young and well trained men. These experiments were simulated with the KTH model by prescribing the experimental velocity-time data of T1 to the cube inferior to C7. No other constraints or boundary conditions were applied to the FE model. The resulting relative motion of the skull compared to T1 was measured and compared to the corridors from the volunteer experiments. Gravity was neglected in the numerical simulations to obtain a stable initial position of the head. Based on the onset of T1 accelerations the values for T_{act} were chosen to 50 ms for both impacts.

A small parameter study was performed to evaluate the influences of the generated muscle force, F_{max} , on the neck response by scaling the curves in Figure 2A to represent activation levels of 20, 40, 60, and 100 percent of the maximum muscle stress (50 N/cm²). To evaluate the effect of the duration of muscle activation the curve in Figure 2 was modified to include decrease of activation, Figure 2D–F. Also, the interaction and varied response of muscle agonists and antagonist was simulated by assigning different activation curves to different muscle groups.

In the frontal impact the main extensor muscles were activated prior to the flexors. In the side impact the ipsilateral muscles were activated prior to the contralateral muscles. For simplicity, all muscles were activated to the same activation stress. All the simulated muscle activation configurations are listed in Table III with activation curves defined by Figure 2. In all these simulations the passive properties of the musculature were unchanged.

Lastly, the FE models were used to study vertebral stresses and ligament strain for varied levels of muscle activation. The frontal and lateral impacts from the sled tests by Ewing were chosen as load cases and the model configurations used were "Comb2" and "Comb3" from Table III.

RESULTS

Frontal Impact

Figure 3 shows the response of the FE model depending on the muscle activation properties. The motion of the head compared to the thorax cube is plotted. It is clear that the FE model with only passive muscle properties has a weaker response than the volunteers. All the activation configurations have a better response compared to the experiments than the passive model. The models with peak muscle stress of 50 N/cm² all lie more or less within the corridors, whereas the 60% activation gives a slightly too flexible model. It is evident that a decrease of the activation after some time (All2) broadens the response curve and increases the time of the head motion. The configuration with best response is Comb2. Therefore, the peak muscle stress was varied for this configuration. Figure 4 illustrates how the relative motion between the head and the thorax is affected by scaling of the peak muscle force. Less than 60% activation gives a model that has a too weak response. An 80% or full activation (Comb2 80% and Comb2) shows good correlation for flexion and eliminates the bounce in anterior-posterior translation evident for the weaker muscle models. The model with full activation is slightly too stiff for superior-inferior translations, whereas the

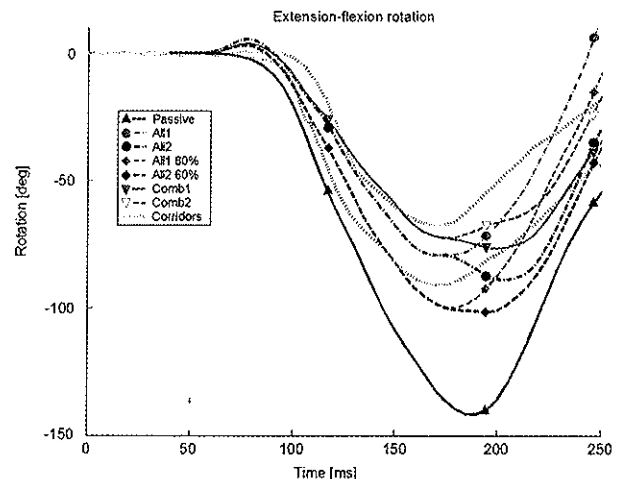


Figure 3 The relative flexion-extension rotation between the head and the thorax cube for the frontal impact. FE model responses for peak muscle stress of 50 N/cm² and varied activation curves compared with corridors from volunteer sled test by Ewing et al. (1976a, b). Model I.

												Comb2	Comb2	Comb2
Frontal impact	Passive		All1	All1 80%		All2	All2 80%		Comb1		Comb2	80%	60%	40%
Muscle groups	act	Curve	Act	Act	Curve	Act	Act	Curve	Act	Curve	Act	Act	Act	Act
SCOM	0%	A	100%	60%	D	100%	60%	B	100%	F	100%	80%	60%	40%
Longus Cervicis	0%	A	100%	60%	D	100%	60%	B	100%	F	100%	80%	60%	40%
R. A. Ma.	0%	A	100%	60%	D	100%	60%	B	100%	F	100%	80%	60%	40%
R. A. Mi	0%	A	100%	60%	D	100%	60%	B	100%	F	100%	80%	60%	40%
Scalene	0%	A	100%	60%	D	100%	60%	—	0%	—	0%	0%	0%	0%
Suboccipital	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Semispinalis	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Longissimus	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Splenius	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Levator scapulae	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Trapezius	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Interspinous	0%	A	100%	60%	D	100%	60%	D	100%	E	100%	80%	60%	40%
Hyoid superior	0%	A	100%	60%	D	100%	60%	B	100%	F	100%	80%	60%	40%
Side impact	Passive		Half 60%			All 60%			Combo3		Combo3 60%		Combo3 40%	
Muscle groups	Act	Curve	Act	Curve	Act	Curve	Act	Curve	Act	Curve	Act	Act	Act	
Ipsilateral	0%	E	60%	E	60%	E	100%	60%	40%					

The purpose of this study was to improve and validate a detailed FE model of the cervical spine and musculature, the KTH model. The effect of muscle activations on spinal responses were evaluated for frontal and side impacts. Implementing both active and passive properties of the muscles gave a better correlation to the experimental volunteer data than the FE model with only passive muscle properties. The KTH model has several limitations.

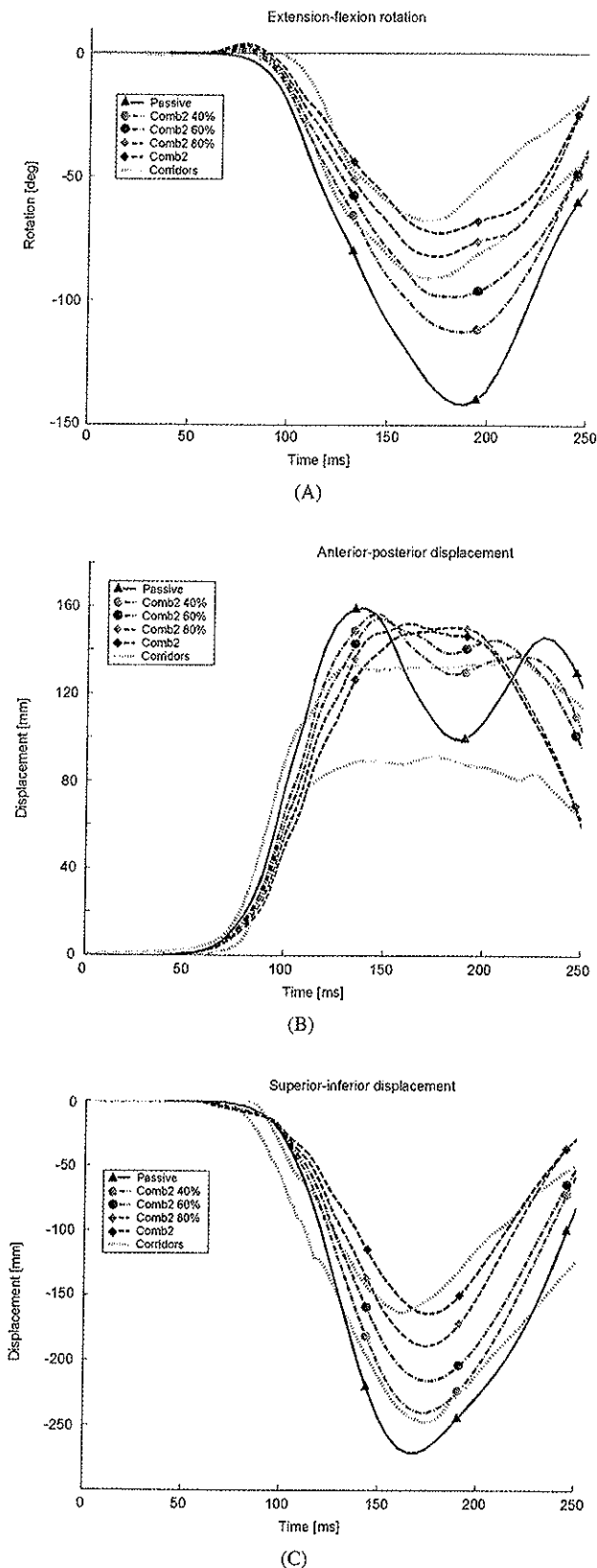


Figure 4 Varied peak muscle stress for Model I (Comb2), response due to a frontal impact with corridors from volunteer sled test by Ewing et al. (1976a, b). The relative motion between the head and the thorax cube for: (A) flexion-extension rotation, (B) anterior-posterior, and (C) superior-inferior displacements.

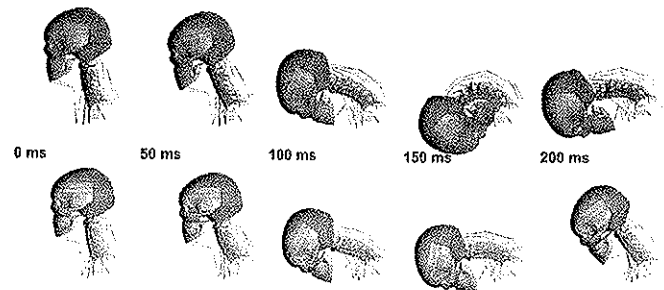


Figure 5 Neck motion during a frontal impact for an FE model with passive muscles (top); and active muscles according to Comb2 80% (bottom).

The muscles are simplified with spring elements and therefore the muscle force has a straight line of action. To account for the neck curvature the more superficial muscles were divided into four serial spring elements. The nodes connecting these elements were merged with a rigid vertebra. The benefit of this solution is curved lines of action for the large muscles and the major drawback is the limitation that some of the vertebrae have to be rigid. To study the vertebral stresses a solution with two models was picked, where every second vertebra was rigid so that the muscles could be merged. Some muscles nodes were merged with a neighboring vertebra instead of the closest vertebra which gave a slightly different response. Also, the muscles response influenced the motion of the vertebrae they were connected with to some extent. To ensure that both elastic-rigid models behaved appropriately and realistic they were compared with good correlation to two all-rigid models with and without muscle-vertebrae connections.

The frontal impact in this study was a volunteer experiment with an impact velocity of 60 km/h, while the side impact had a lateral velocity of 25 km/h. The KTH model correlated best to the volunteer data for the side impact when the peak muscle activation was 40% of the peak muscle stress, whereas a peak muscle activation of 80% gave the best response compared to

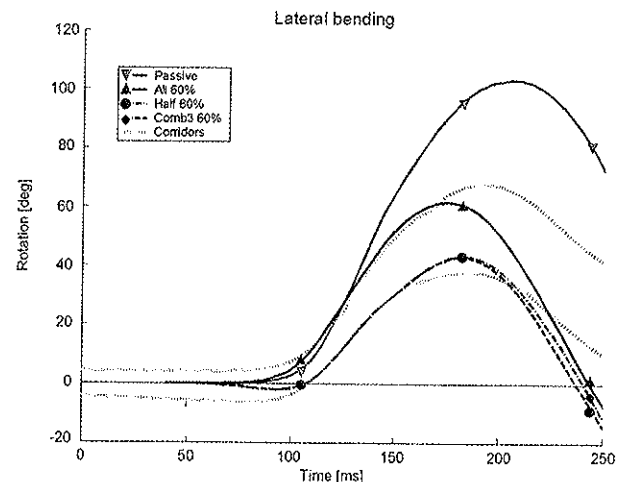


Figure 6 The relative lateral bending rotation between the head and the thorax cube for the lateral impact. FE model responses compared with corridors from volunteer sled test by Ewing et al. (1976a, b). 60% of the peak muscle stress (30 N/cm^2) for varied activation curves. Model II.

Table IV Ligament responses due to the frontal and side impacts. The maximum elongations are scaled by failure tolerances (D_f) reported in the literature and hence a value of 1 predicts failure.

	Frontal impact					Lateral impact			Used for failure analysis	
	Passive	Comb2 40%	Comb2 60%	Comb2 80%	Comb2	Passive	Comb3 40%	Comb3 60%	D_f (mm)	Reference
Upper cervical spine: C0-C2										
Alar	0.51	0.28	0.15	0.08	0.07	0.60	0.46	0.48	14	Dvorack et al. (1988), Yoganandan et al. (2001)
Apical	0.88	0.52	0.32	0.19	0.16	0.63	0.41	0.24	10	Yoganandan et al. (2001)
VC	0.54	0.41	0.30	0.22	0.21	0.73	0.45	0.23	25	Yoganandan et al. (2001)
AAOM	0.19	0.21	0.20	0.12	0.11	0.11	0.15	0.12	19	Yoganandan et al. (2001)
TM	0.75	0.37	0.17	0.06	0.01	0.61	0.32	0.12	12	Yoganandan et al. (2001)
PAOM	0.85	0.48	0.35	0.41	0.35	0.61	0.25	0.13	18	Yoganandan et al. (2001)
ALL C1-C2	0.59	0.34	0.22	0.22	0.21	0.45	0.32	0.18	10	Yoganandan et al. (2001)
LF C1-C2	0.84	0.22	0.08	0.00	0.00	0.42	0.01	0.00	9	Yoganandan et al. (2001)
CL C0-C1	0.49	0.29	0.22	0.32	0.36	0.79	0.45	0.34	10	Yoganandan et al. (2001)
CL C1-C2	0.53	0.35	0.32	0.52	0.38	0.95	0.59	0.63	9	Yoganandan et al. (2001)
C2-C3										
ALL C2-C3	0.09	0.06	0.15	0.21	0.18	0.32	0.25	0.32	10	Myklebust et al. (1988)
PLL C2-C3	0.42	0.33	0.28	0.13	0.12	0.70	0.39	0.19	7	Myklebust et al. (1988)
CL C2-C3	0.67	0.55	0.49	0.55	0.26	1.31	0.76	0.46	9	Myklebust et al. (1988)
LF C2-C3	0.83	0.66	0.61	0.38	0.25	0.99	0.54	0.37	8	Myklebust et al. (1988)
ISL C2-C3	1.85	1.59	1.54	0.91	0.76	1.28	0.40	0.00	7	Myklebust et al. (1988)
C3-C4										
ALL C3-C4	0.01	0.00	0.02	0.06	0.02	0.30	0.33	0.34	10	Myklebust et al. (1988)
PLL C3-C4	0.38	0.36	0.32	0.24	0.18	0.70	0.38	0.24	7	Myklebust et al. (1988)
CL C3-C4	0.60	0.58	0.52	0.33	0.29	1.19	0.84	0.89	9	Myklebust et al. (1988)
LF C3-C4	0.95	0.91	0.81	0.50	0.42	0.84	0.44	0.52	8	Myklebust et al. (1988)
ISL C3-C4	1.98	1.93	1.77	1.23	1.05	0.93	0.00	0.00	7	Myklebust et al. (1988)
C4-C5										
ALL C4-C5	0.02	0.01	0.00	0.02	0.04	0.33	0.33	0.25	10	Myklebust et al. (1988)
PLL C4-C5	0.45	0.45	0.44	0.58	0.58	0.68	0.40	0.19	7	Myklebust et al. (1988)
CL C4-C5	0.70	0.69	0.67	0.87	0.87	1.13	0.74	0.53	9	Myklebust et al. (1988)
LF C4-C5	1.06	1.06	1.02	1.36	1.37	0.85	0.54	0.34	8	Myklebust et al. (1988)
ISL C4-C5	2.05	2.01	2.00	2.48	2.49	0.91	0.04	0.06	7	Myklebust et al. (1988)
C5-C6										
ALL C5-C6	0.00	0.00	0.00	0.00	0.00	0.28	0.22	0.19	10	Myklebust et al. (1988)
PLL C5-C6	0.62	0.54	0.54	0.63	0.64	0.60	0.39	0.32	7	Myklebust et al. (1988)
CL C5-C6	0.90	0.85	0.83	0.99	0.98	0.97	0.63	0.54	9	Myklebust et al. (1988)
LF C5-C6	1.60	1.50	1.46	1.69	1.66	0.68	0.48	0.41	8	Myklebust et al. (1988)
ISL C5-C6	2.25	2.10	2.05	2.33	2.29	0.54	0.31	0.29	7	Myklebust et al. (1988)
C6-C7										
ALL C6-C7	0.01	0.00	0.00	0.00	0.00	0.19	0.14	0.16	10	Myklebust et al. (1988)
PLL C6-C7	0.81	0.67	0.68	0.72	0.57	0.45	0.31	0.26	7	Myklebust et al. (1988)
CL C6-C7	1.09	0.93	0.92	0.98	0.87	0.77	0.54	0.48	9	Myklebust et al. (1988)
LF C6-C7	2.16	1.84	1.84	1.91	1.76	0.53	0.36	0.31	8	Myklebust et al. (1988)
ISL C6-C7	3.12	2.70	2.69	2.79	2.54	0.33	0.46	0.45	7	Myklebust et al. (1988)

the frontal impact. Also, higher or lower activation forces gave a decrease in the correlation with the experiments. This was particularly evident for how the coupled rotations in lateral bending compared to experimental data. It seems that to obtain the best response of an FE model different peak muscle forces have to be chosen depending on the load case studied. Hence, it is important to pick activation parameters relevant to the degree and direction of impact for each numerical simulation performed. This is one of the challenges in numerical modeling of active musculature since experimental data on muscle activity and neck responses suitable for validation is scarce. Until this experimental data is available, it is suggested that the active muscle properties of numerical models are tuned to correlate with experimental data relevant to the load cases studied.

Muscle activation reached the peak muscle force after 100 ms. This was based on other studies on the delay in neural reflexes and the time from impact until a neural response is triggered, Winters and Stark (1985). It was assumed that the onset of acceleration for T1 triggers the neural responses and time of muscle activation, as suggested by Szabo and Welcher (1996). Their results indicated that muscle recruitment was centrally generated and consistently found that the onset of lumbar spine acceleration correlated with neck muscle activation 90–120 ms later, for rear end impacts. For a frontal or lateral impact the lower spine and chest will experience the impact through interaction with seat belts before the cervical spine and head acceleration starts. In the rear end impact the interaction with the seat back causes the same kind of response. Therefore, it was assumed to

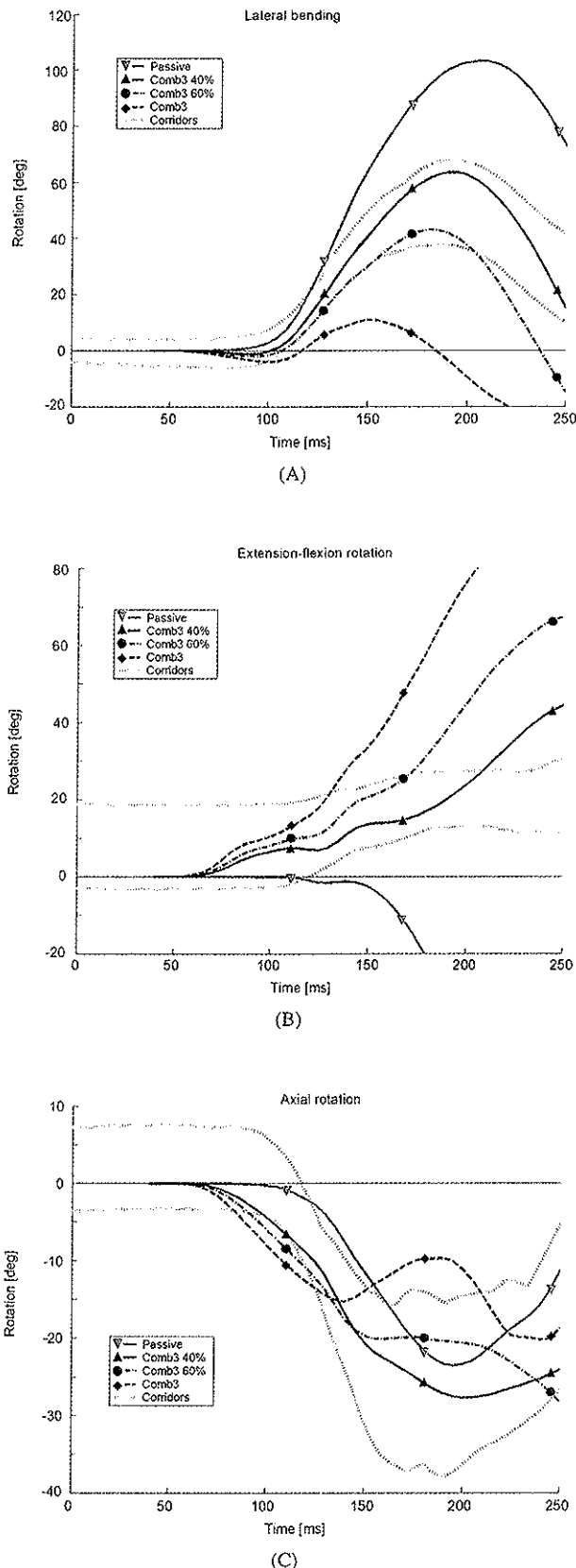


Figure 7 Side impact responses due to varied peak muscle stress for Model II (Comb3) with corridors from volunteer sled test by Ewing et al. (1976a, b). The relative motion between the head and the thorax cube for: (A) lateral bending, (B) flexion-extension, and (C) axial rotation.

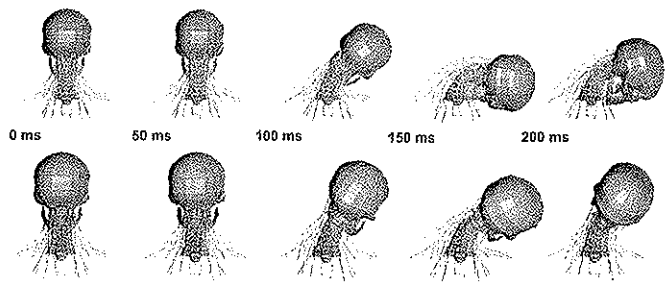


Figure 8 Neck motion during a side impact simulation for an FE model with passive muscles (top); and active muscles according to Comb3 40% (bottom).

be realistic to use the onset of T1 acceleration as a trigger for neck muscle activation in these simulations of frontal and lateral impacts. An electromyography (EMG) study with surface electrodes conducted by Lu and Bishop (1996) of short dynamic lateral bending showed that the peak EMG was between 75 and 165 ms later than the peak applied force. This correlates to the reaction and activation time of 150 ms used in the lateral simulations. It was considered inappropriate to maintain full activation after the peak motion had occurred, that is during the rebound phase. As expected, the configurations where full activation was maintained once it had been reached had a faster response and a larger opposite motion. To evaluate the importance of implementing the decrease of activation in response to the directional change of head motion, the activation curve was dropped from full activation to zero in 20 ms. In the dynamic lateral bending study by Lu and Bishop (1996), the decrease of the EMG signal was slightly slower than the increase. Therefore, our activation decrease is a too fast scenario but it gives an idea of the importance of implementing deactivation. It was evident that the FE model had a better correlation to the volunteer corridors when activation was decreased.

Another aspect of activation is muscle synergies. In the experiments by Lu and Bishop (1996) the contra- and ipsi-lateral muscles demonstrated different EMG profiles. The EMG signals were in some cases 20 percent of the ipsilateral signals. The significance of this synergism was evaluated by activating only the ipsilateral muscles in the beginning of the side impact and the contralateral muscles in the rebound phase of the impact. This significantly improved the correlation of the coupled rotations in the side impact. Also, Kumar et al. (2003) performed a study of frontal impacts that measured the reaction times of the muscles with both surface and wire electrodes. The results of this study showed that the antagonistic muscles, in this case the flexors reacted much later than the extensors. Therefore, simulations were performed where the extensors were activated at 50 ms and the flexors during the rebound phase. The response was improved, though not as significantly as for the side impact. It can be concluded that inclusion of muscle synergism in an FE model with active muscles improves the correlation. It would be interesting to control activation of muscles in an FE model using EMG curves. Dynamic studies where both EMG and vertebral rotations and head motion is monitored would be a valuable source of information for validation of numerical model.

The maximum von Mises stress in the cortical and trabecular bone was studied for all simulations. Carter and Hayes (1977) have reported compression failure stresses for the cortical of approximately 200 MPa and for the trabecular bone of 10 MPa at a strain rate of about 1. The average von Mises stresses did not exceed these values for neither the trabecular nor the cortical bone in any of the simulations. In the frontal impact, activation of the musculature did not affect the average vertebral stresses. For the side impact a slight increase of the von Mises stress in the cortical bone could be seen for increasing activation, though there was not a significant difference. In a few simulations high nodal forces were induced by the muscle elements in the shell and solid elements of the vertebrae at the location of muscle insertion. Therefore, it is suggested to model the musculature with more geometrical detail to accurately transfer forces between the musculature and the vertebrae.

Soft tissue injuries have become increasingly important since the Whiplash discussion started. High cost to society and insurance costs as well as suffering for the individuals have put focus on the soft tissue injuries. Failure or sub-failure of ligaments is a candidate explanation for some of these injuries. It is possible to evaluate the effect of muscle activation on the soft tissue response. The KTH model has a detailed representation of the spinal ligaments and the strain data was evaluated and compared to experimental failure deformations to predict soft tissue injury. This study showed that the posterior ligaments in the lower cervical spine took much of the loading in the frontal impact, while the posterior ligaments and the capsular ligament in the central cervical spine took most of the loading for the side impact. Failure was only predicted for the side impact when the muscles were not activated. Thus, muscle activation reduced the risk of injury to the capsular ligaments and the interspinous ligaments. The stretches of the other ligaments were also reduced. For the frontal impact, the KTH model predicted injury to the interspinous ligaments on spinal levels C2 to C4 for no and for low activation levels while full activation reduced the risk significantly. In the lower cervical spine injury was predicted for the interspinous ligament and the ligamentum flavum with and without activation. The volunteer experiments by Ewing did not report any neck complaints and there are some possible explanations to why the KTH model did. The FE model was constrained for all degrees of freedom at the C7 vertebrae and the thorax cube. This boundary condition is a simplification of the belted volunteers, who's T1 were allowed to rotate and thereby transmit some motion below the seventh vertebra. Thus, the FE model is loaded more severely than the volunteers and this is presumably worst for the lower and posterior cervical spine. Another limitation is the tissue level injury threshold used for normalizing the deformation, which in some cases are based on less than five cervical spine specimens. The individual variation is large and it could be relevant to use a higher value for the tissue level criteria for the ligamentum flavum and the interspinous ligament.

It is interesting to note that muscle activation for the frontal impact mainly reduces the loading of the upper cervical spine ligaments. In the lateral loading all spinal levels were equally

protected by muscle activation. Van Ee et al. (2000) and Chancey et al. (2003) found that activation of the neck muscles mainly shields the lower cervical spine for a tension loading case. These contrasting results suggest that the spinal musculature has different protective properties depending on the external loading that the neck is subjected to.

CONCLUSION

An anatomically detailed FE model with active muscles that follow the spinal curvature has been developed and validated against frontal and side impacts with good correlation. Also, muscle synergism was implemented in the model with good results. The current model was used for injury prediction of soft tissues using tissue specific failure criteria during dynamic loading. Muscle activation was found to decrease the risk of injury to the spinal ligaments. Activation protects the upper cervical spine in frontal impacts where injury was predicted with a passive muscle model. In lateral impacts, muscle activation decreased ligaments strain at all spinal levels. It can be concluded that muscle activation decreases the risk for ligamentous injury, and that the spinal levels that are protected varies with the external loading that the neck is subjected to.

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